## The Girard and de Marco Families

Let's model the problem with equations. To do that, we first should define the variables as follows.

| Entity | Variable |
| :--- | :---: |
| Father's age digits | $\mathrm{p}, \mathrm{q}$ |
| Mother's age | r |
| Tony's age | t |
| Jackie's age | s |

Then, we can write the following equations:

$$
\begin{gathered}
p^{2}+q^{2}=r+2 \\
r=10 p+q-t+9 \\
5(t-s)=r-s \\
3(s+6)=r+6
\end{gathered}
$$

Considering the possible combinations for $p, q$, and the fourth equation, that establishes the divisibility of $r$ by 3 , we can find $p=4, q=5, r=39$. From these values, using equations 4 and 3 in this order, we can get the other values, $s=9, t=15$.

Then, after checking all the conditions, we can conclude that the ages for father, mother, Tony, and Jackie are, respectively, 45, 39, 15, 9.

